

PROPAGATION OF SOLAR ENERGETIC PARTICLES IN 3D MHD SIMULATION OF THE SOLAR WIND

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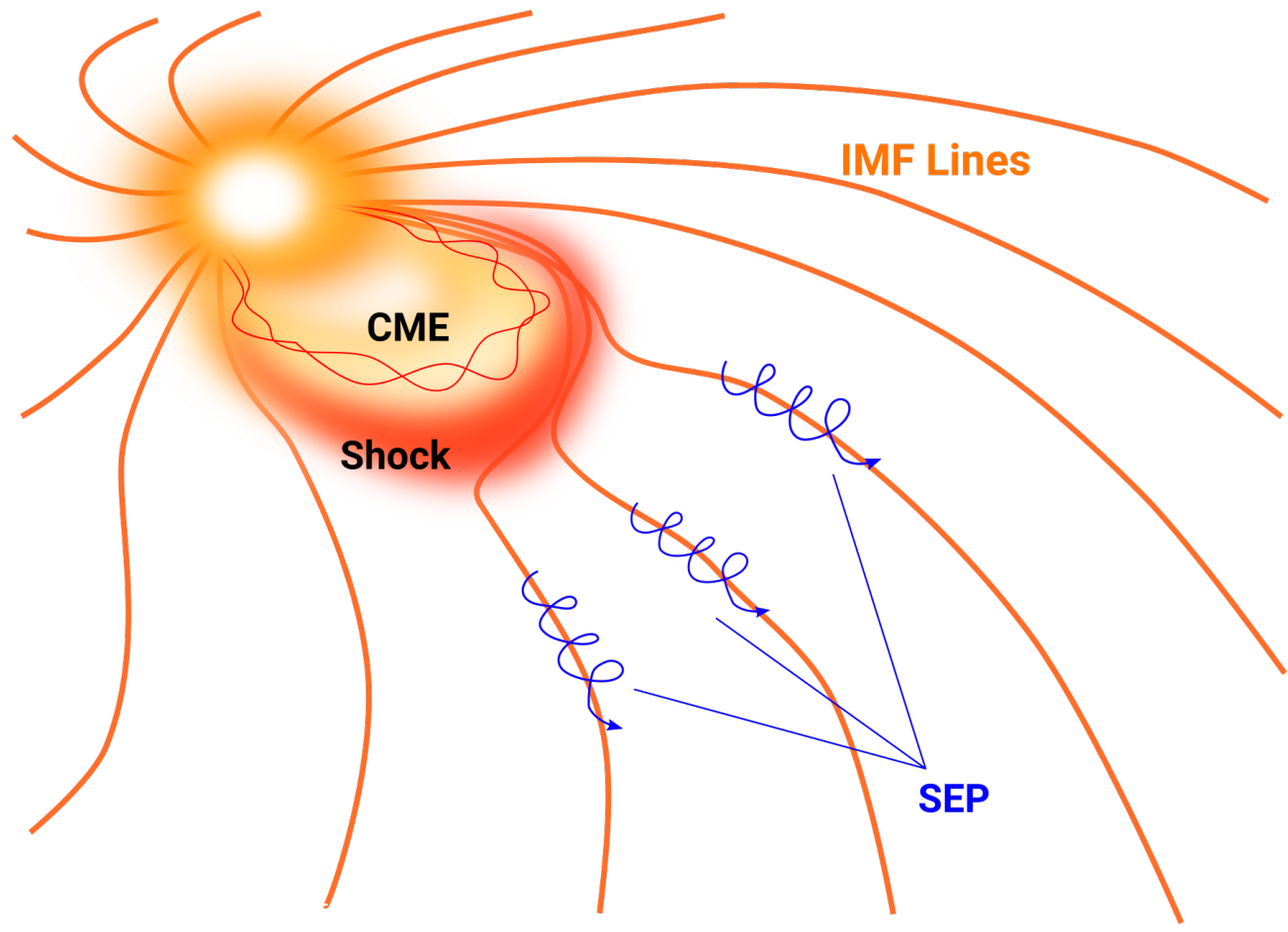


CONTEXT

The interplanetary medium is populated with a variety of energy-charged particles, tracing paths along the magnetic field lines.

These particles exhibit drifts influenced by gradients and curvature of the magnetic field and by the presence of an electric field (Dalla et al. 2015).

In addition, due to the presence of magnetic turbulence in the solar wind, particles experience diffusion both in velocity space and real space with mean free paths λ_{\parallel} and λ_{\perp} , respectively, with $\lambda_{\perp} \ll \lambda_{\parallel}$ (see e.g. Chhiber et al. 2017).

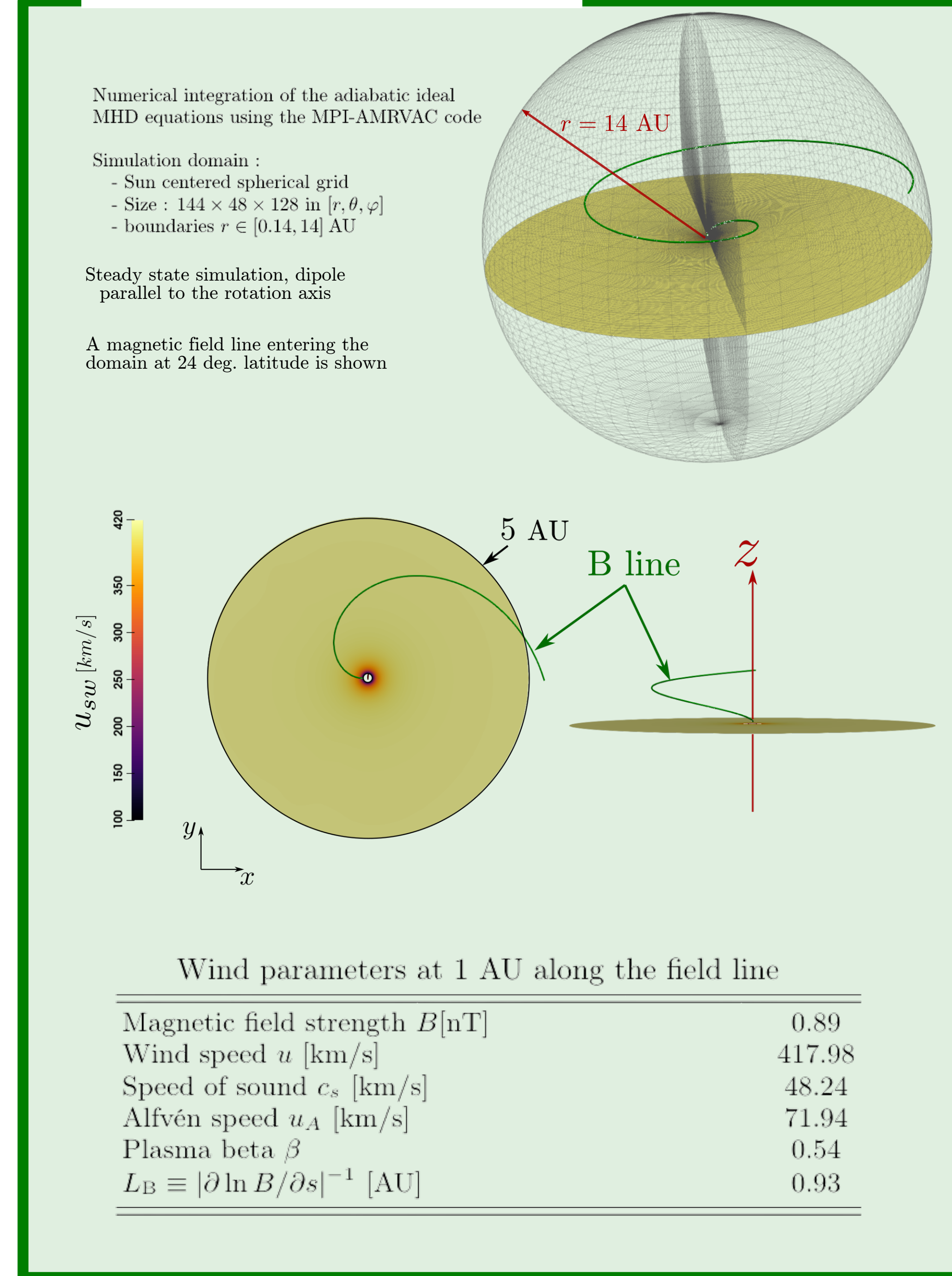


In this study, we propagate test particles in a simulated solar wind, including the possibility of parallel diffusion.

We consider Solar Energetic test Particles for which the Larmor radius is $\ll 1$ AU and consistently integrate the equations of motion using the relativistic Guiding Center Approximation (GCA).

METHODOLOGY

MHD Simulation



test-Particle Propagation

- Inject particles

- Interpolate fields & integrate relativistic

GCA equations :

$$\frac{d\mathbf{R}}{dt} = v_{\parallel} \mathbf{b} + \underbrace{\mathbf{v}_E}_{\text{E-cross-B drift}} + \frac{\gamma m}{qB} \mathbf{b} \times \left[\frac{\mu}{\gamma^2 m} \nabla B + \frac{v_{\parallel}}{\gamma} E_{\parallel} \mathbf{v}_E \right] + \underbrace{v_{\perp}^2 (\mathbf{b} \cdot \nabla) \mathbf{b} + v_{\parallel} (\mathbf{v}_E \cdot \nabla) \mathbf{b}}_{\text{curvature drift}} + \underbrace{v_{\parallel} (\mathbf{b} \cdot \nabla) \mathbf{v}_E + (\mathbf{v}_E \cdot \nabla) \mathbf{v}_E}_{\text{polarisation drift}}$$

$$\frac{d(\gamma v_{\parallel})}{dt} = \frac{q}{m} E_{\parallel} - \frac{\mu}{\gamma m} \mathbf{b} \cdot \nabla B + \gamma v_E \cdot [v_{\parallel} (\mathbf{b} \cdot \nabla) \mathbf{b} + (\mathbf{v}_E \cdot \nabla) \mathbf{b}] \quad (*)$$

$$\frac{d\mu}{dt} = 0$$

where $\mathbf{b} = \frac{\mathbf{B}}{|\mathbf{B}|}$, $\mathbf{v}_E = \mathbf{E} \times \frac{\mathbf{b}}{|\mathbf{B}|}$, $\mu = \frac{m \gamma^2 v_{\perp}^2}{2|\mathbf{B}|}$, $\mathbf{E} = -\mathbf{u} \times \mathbf{B} - \nabla \Phi$

- Integration scheme from Mignone et al. 2023 : prediction-correction method

Prediction: $x^* = x^1 + \Delta t \left[\frac{3}{2} \mathcal{F}^1 - \frac{1}{2} \mathcal{F}^0 \right]$ Adams-Bashforth 2

Correction: $x^2 = x^* + \frac{\Delta t}{12} [8\mathcal{F}^1 + 5\mathcal{F}^* - \mathcal{F}^0]$ Adams-Moulton 3

- Pitch-angle scattering

We let particles undergo hard-sphere type collisions

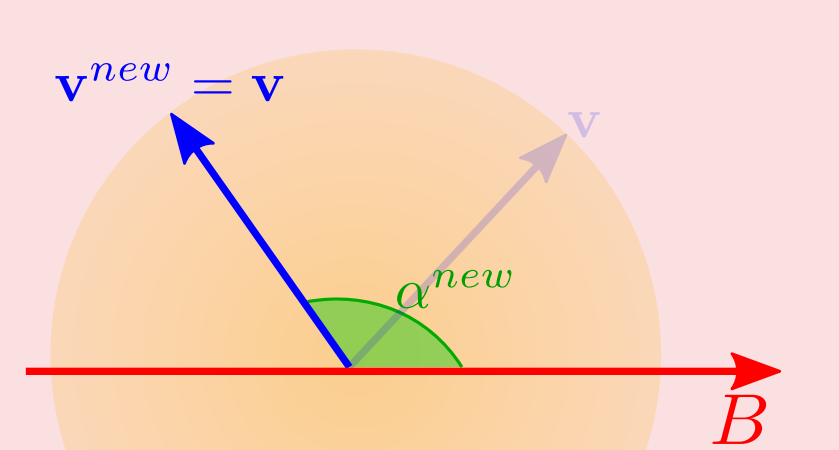
For a distance $\Delta s = \int_{t_0}^{t_0 + \Delta t} v_{\parallel} dt$ during Δt , and a given a mean free path λ_{\parallel}

collision probability : $p(\Delta s) = 1 - \exp(-\Delta s / \lambda_{\parallel})$

Each time step a random number $a \in [0, 1]$ is generated, if $a < p(\Delta s) \Rightarrow$ elastic collision !

In this case, the post collision pitch-angle α is :

$$\alpha = \arccos(1 - 2b), \quad b: \text{random number} \in [0, 1].$$



FIRST RESULTS

We inject 10^5 electrons with 81 keV energy and $\mu = 0$ at $r = 0.279$ AU on the magnetic field line shown at $t = 0$.
 $\lambda_{\parallel} = 0.5$ AU, $\delta t = 5.4$ s \Rightarrow integrate the GCA equations with Mignone et al. (2023) over $t_{\max} = 41.7$ h.

Particles crossing the inner boundary ($r = 0.139$ AU) or the surface $r = 5$ AU are re-injected at the same initial position and with the same initial conditions

At $t=7$ h, a statistically steady distribution of particles is obtained, in the following we only consider particles aged from $t=7$ h to 1.7 days

Magnetic field line shown at $t = 3$ days.

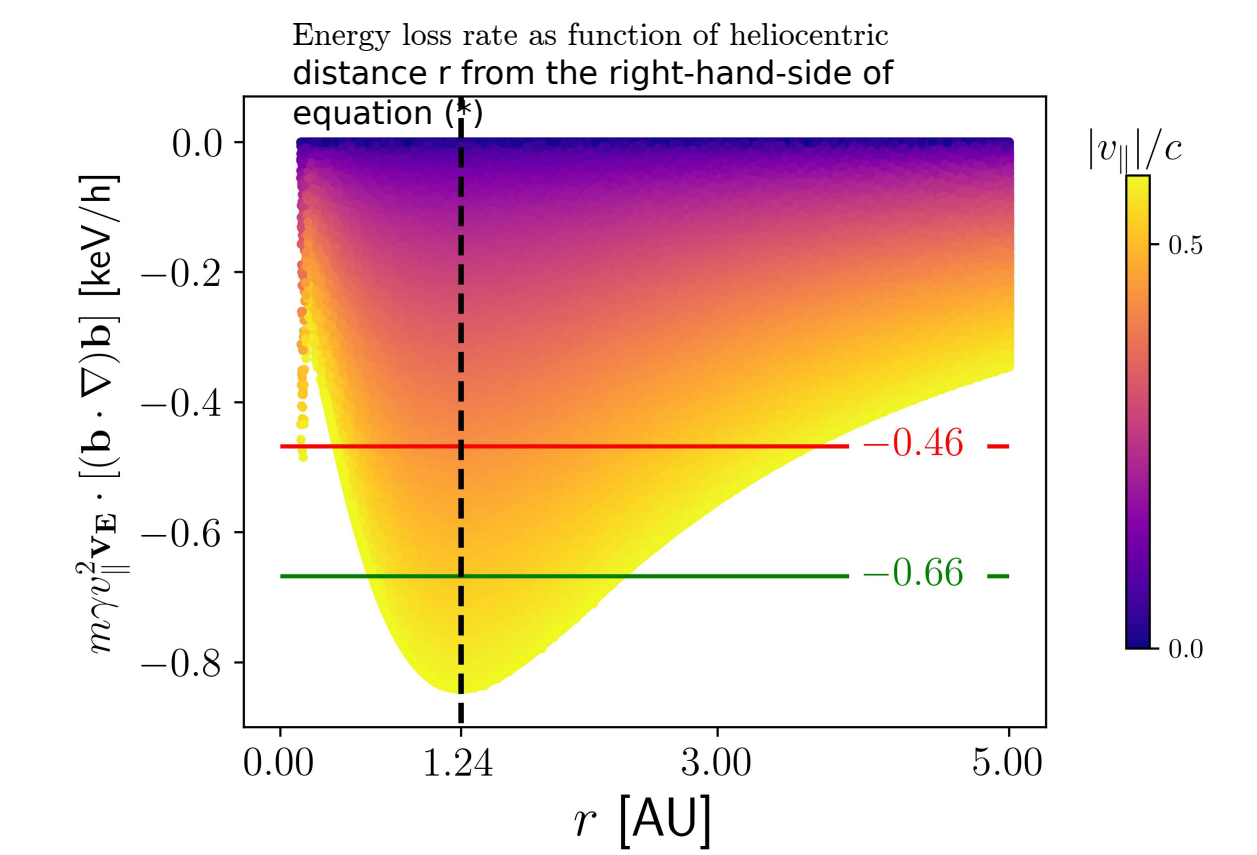
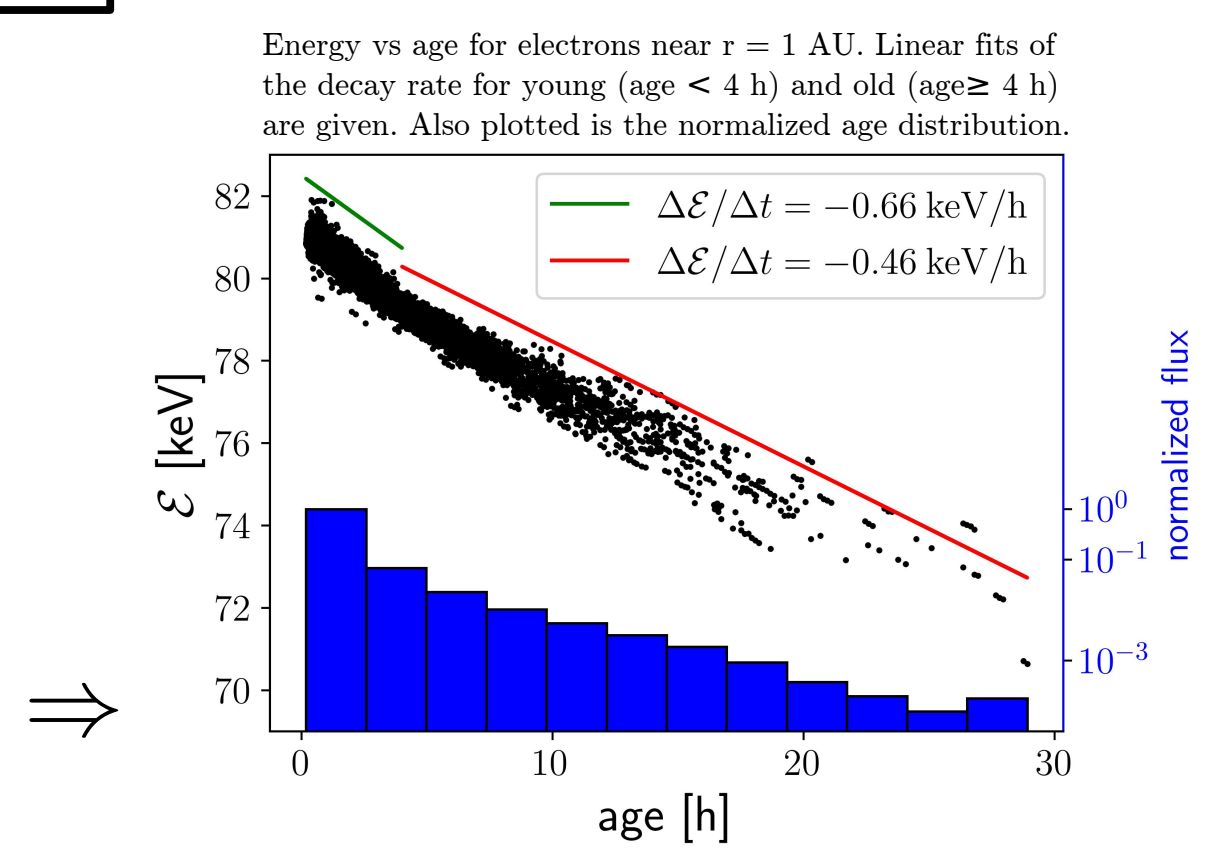
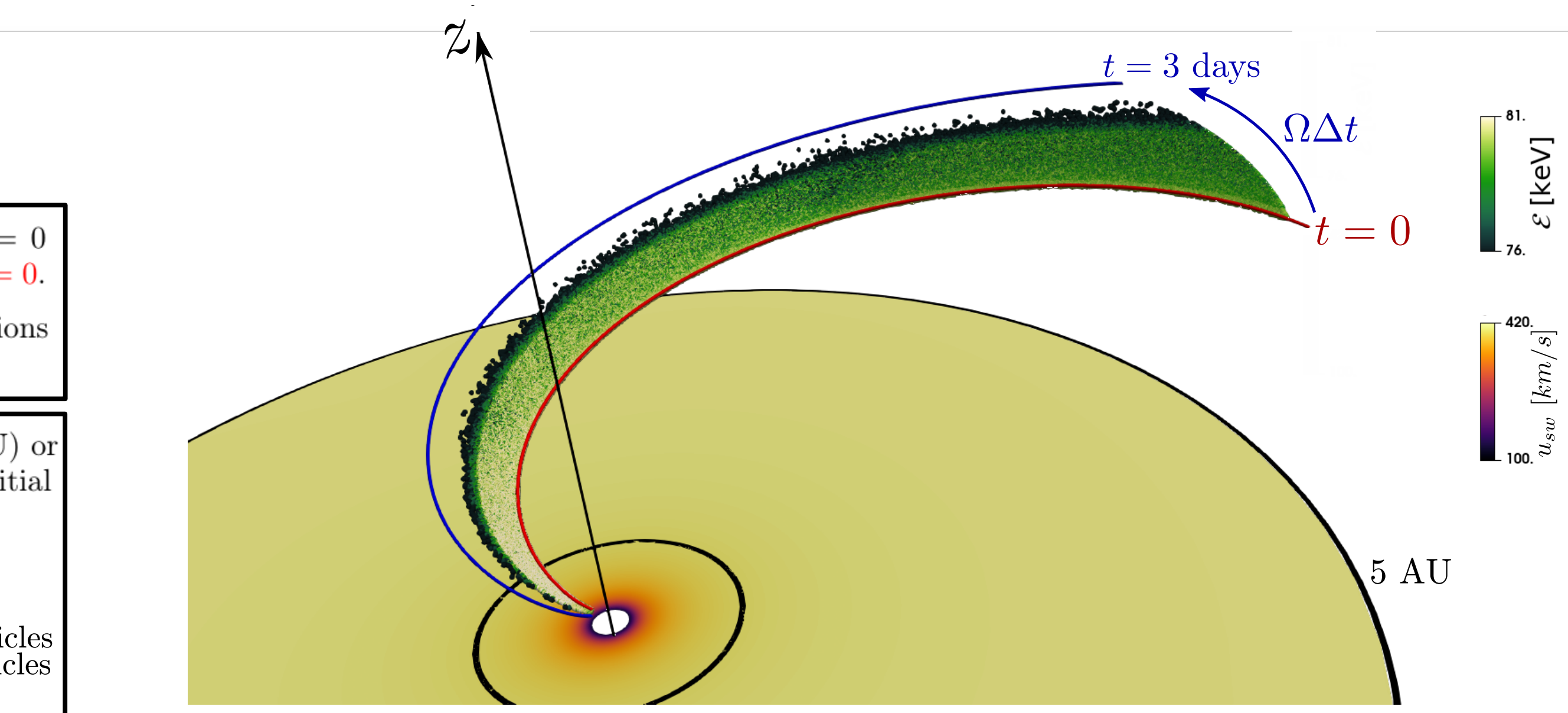
- Energy loss

Assuming time steadiness, we can then rewrite (*)

$$\frac{d\mathcal{E}}{dt} \approx m \gamma v_{\parallel}^2 \mathbf{v}_E \cdot (\mathbf{b} \cdot \nabla \mathbf{b}) \quad (**)$$

where $\mathcal{E} = (\gamma - 1) m c^2$ is the particle's relativistic kinetic energy.

In the present configuration, \mathbf{v}_E is oriented opposite to the curvature vector $\mathbf{b} \cdot \nabla \mathbf{b}$ so that (**) describes a systematic loss of energy regardless of the direction the particle is moving towards



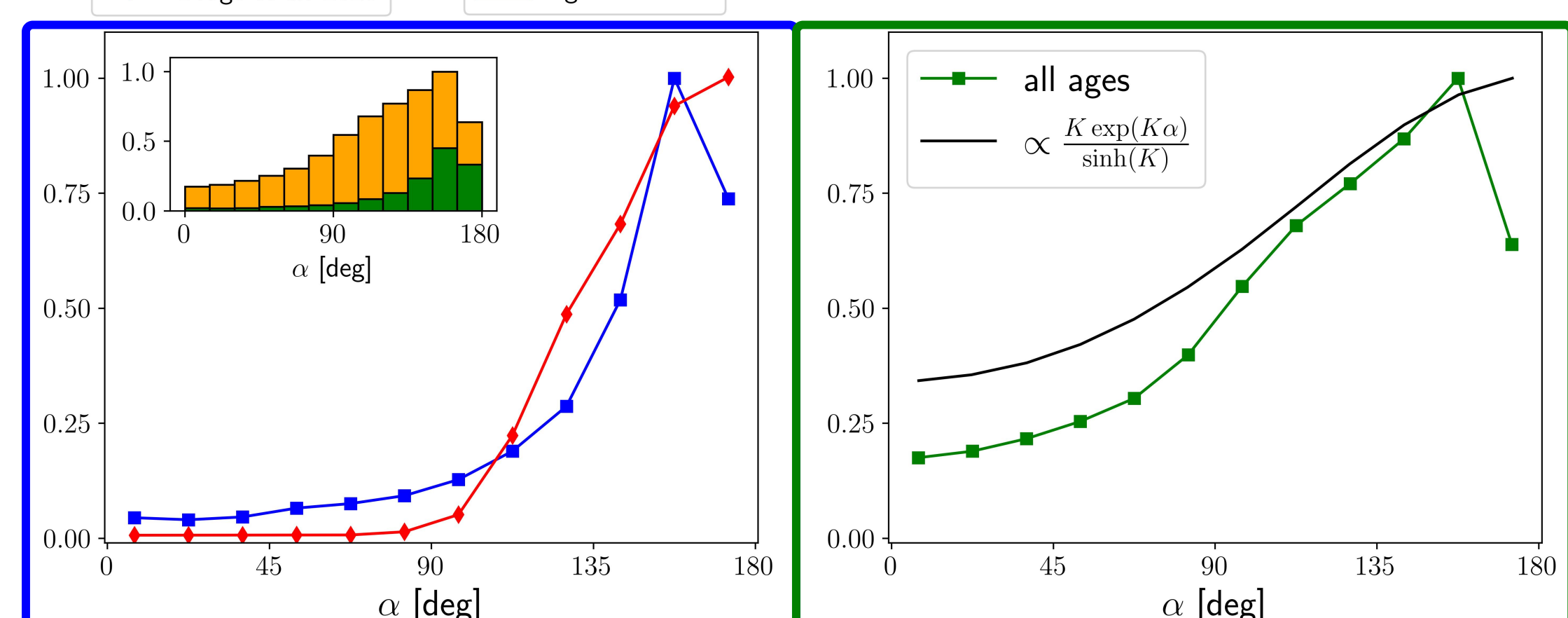
The maximum loss rate occurs at $r = 1.24$ AU :

- Loss rate \searrow when $r \nearrow$ because of the increasing radius of curvature
- Loss rate \searrow when $r \searrow$ because $\mathbf{v}_E \searrow$ as \mathbf{u} and \mathbf{B} tend to align when approaching the inner boundary

- Pitch-angle distribution

The flux of 81 keV electrons at 1 AU reaches its peak after ~ 10 min from injection. As the peak intensity decreases on a timescale of the order of 10 to 20 minutes, only electrons aged less than 20 min are representative of the peak distribution.

Legend: age < 20 min (blue), all ages (orange), Dröge et al. 2018 (red), age < 20 min (green).



Differences compared to Dröge et al. (left) and to Zaslavsky (right) can be attributed to several factors :

- Initial condition $\mu = 0$ and the position of the injection
- Hard sphere type collisions is probably less realistic (especially when $K \gtrsim 1$) than accumulation of small angle deviations (Qenby (1983), Dröge (2018), Zaslavsky(2023))

NEXT STEPS

- Inject particles in time-varying fields, essential for low energy particles and in case of transients (like CME, shocks ...)

MISSIONS

will help analyse in-situ measurements of Solar Orbiter

Understand the role of the electrons in the interaction of the solar wind with Mercury with the help of BepiColombo (Léa Griton)

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